

photon radiance, L_p

Number of photons (quanta of radiation, N_p) per time interval (photon flux), q_p , leaving or passing through a small transparent element of surface in a given direction from the source about the solid angle Ω , divided by the solid angle and by the orthogonally projected area of the element in a plane normal to the given beam direction, $dS_{\perp} = dS \cos \theta$, with θ the angle between the normal to the surface and the direction of the beam. Equivalent definition: Integral taken over the hemisphere visible from the given point, of the expression $L_p \cos \theta d\Omega$, with L_p the photon radiance at the given point in the various directions of the incident beam of solid angle Ω and θ the angle between any of these beams and the normal to the surface at the given point.

Note 1: Mathematical definition:

$$L_p = \frac{d^2 q_p}{d\Omega dS_{\perp}} = \frac{d^2 q_p}{d\Omega dS \cos \theta}$$

for a divergent beam propagating in an elementary cone of the solid angle Ω containing the direction $\tilde{\theta}$. SI unit is $\text{m}^{-2} \text{s}^{-1} \text{sr}^{-1}$.

Note 2: For a parallel beam it is the number of photons (quanta of radiation, N_p) per time interval (photon flux), q_p , leaving or passing through a small element of surface in a given direction from the source divided by the orthogonally projected area of the element in a plane normal to the given direction of the beam, θ . Mathematical definition in this case: $L_p = dq_p / (dS \cos \theta)$. If q_p is constant over the surface area considered, $L_p = q_p / (S \cos \theta)$, SI unit is $\text{m}^{-2} \text{s}^{-1}$.

Note 3: This quantity can be used on a chemical amount basis by dividing L_p by the Avogadro constant, the symbol then being $L_{n,p}$, the name “photon radiance, amount basis”. For a divergent beam SI unit is $\text{mol m}^{-2} \text{s}^{-1} \text{sr}^{-1}$; common unit is einstein $\text{m}^{-2} \text{s}^{-1} \text{sr}^{-1}$. For a parallel beam SI unit is $\text{mol m}^{-2} \text{s}^{-1}$; common unit is einstein $\text{m}^{-2} \text{s}^{-1}$.

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